



Article Finite Element Analysis of the Influence of the Assembly Parameters on the Fretting Phenomena at the Bearing/Big End Interface in High-Performance Connecting Rods

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Abstract: Fretting fatigue is a well-known and dangerous damage mode that occurs on the mating surfaces of mechanical components, mainly promoted by a combination of stress distribution, contact pressure distribution, and relative sliding (micro)motion between the surfaces. However, predicting this mechanism is challenging, necessitating specific studies for each assembly due to variable influences. This article presents a methodology for evaluating fretting fatigue damage at the contact between a titanium connecting rod big end and the bearing, adopting the Ruiz parameter as a quantifying damage index. For this purpose, a thermal-structural finite element model is prepared. In particular, the machining and assembly of the split conrod big end are simulated, considering thermal effects. A full engine cycle is first simulated, and results are used for identifying critical instants to be considered for accurate yet computationally efficient calculations. The dependence of fretting fatigue on three factors is studied: bearing crush, bolts tightening torque, and friction coefficient between the big end and the bearing. In summary, the damage increases with a higher crush and friction, while tightening torque has marginal effects. Following a 20% increase in crush height, a corresponding 10% rise in the Ruiz parameter is observed. Conversely, reducing the crush height by 20% leads to an approximately 8% decrease in the Ruiz parameter. When the influence of the bolt preload is taken into account, only a marginal 1% increase of the Ruiz parameter is recorded despite a 30% rise in preload. Evaluating the impact of the friction coefficient on the Ruiz parameter reveals an almost linear relationship. These findings suggest that adjusting the screw preload can enhance the hydrodynamic behavior of the bearing without exacerbating fretting. Furthermore, exploiting the linear correlation between Ruiz and the friction coefficient allows for the generalization of results obtained with specific coefficient values. This methodology can, therefore, serve as a valuable reference for adjusting different variables during the initial design phases of a four-stroke internal combustion engine's dismountable connecting rod.

Keywords: fretting fatigue; connecting rod; internal combustion engine; Ruiz parameter; finite element

1. Introduction

Different fractures found in the big ends of dismountable connecting rods for fourstroke internal combustion engines cannot be justified solely by the stresses registered in the areas where the failure occurred [1]. Many of these fractures can indeed be justified by considering the contribution given by fretting fatigue [2–4].

Fretting fatigue is a damage mechanism caused by the combined effects of two distinct factors, i.e., mechanical fatigue and fretting, which can promote and accelerate the failure of the component [5–8]. On the one hand, mechanical fatigue has been extensively studied in the literature, particularly concerning metallic materials [9,10]. On the other hand, fretting refers to surface damage resulting from friction between two mechanical components. This surface damage promotes the initiation of nucleation points, possibly accelerating the



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Copyright: © 2023 by the authors. Licensee MDPI, Basel, Switzerland. This article is an open access article distributed under the terms and conditions of the Creative Commons Attribution (CC BY) license (https:// creativecommons.org/licenses/by/ 4.0/). mechanical fatigue failure [11,12]. In the context described, this specific form of fatigue is referred to as fretting fatigue. Predicting these fractures is as important as it is complex. It is necessary to combine surface damage with the stress state of the component under examination. The finite element method (FEM) becomes a valuable tool for forecasting this type of failure [13–16]. Among the various quantitative indexes for identifying fretting fatigue, the Ruiz parameter (Equation (1)) has been chosen as the selected approach because it can provide valuable insights into the tribological behavior of the components [17]:

$$Ruiz \ parameter = (\sigma_{max} - \sigma_{min}) \cdot W_w. \tag{1}$$

Ruiz understood that the failure of components subject to fretting depends on two main aspects: the stress state of the component under examination, particularly the amplitude of the stress parallel to the mating surfaces ($\sigma_{max} - \sigma_{min}$), and the specific wear work generated at the interface (W_W).

While the stress state can be easily determined through the use of FEM, defining the specific wear work requires further investigation. The specific wear work can be defined as the friction coefficient (μ) multiplied by the contact pressure (p) multiplied by the relative displacement (δ) between the two contacting surfaces:

$$W_w = \mu \cdot p \cdot \delta \tag{2}$$

Once again, FEM proves to be an effective ally in calculating the contact pressure and relative displacement between the various components under examination [18,19]. From these formulas, it can be stated that it is difficult to give a general significance to numerical studies on fretting fatigue. In fact, each case must be evaluated in a detailed manner. For instance, Le Falher et al. [20] studied the effect of fretting fatigue on shrink-fit lug-bush assemblies. While the component involved resembled the geometry of a connecting rod, the differences in geometric details, materials, and loading conditions made the analyses conducted by Le Fahler et al. not directly applicable to other cases of interest. Some researchers, like Chao [21] and Pujatti et al. [22], analyzed failures caused by fretting fatigue but did not attempt to formulate a numerical methodology capable of predicting them. Others, such as Son et al. [23] and Badding et al. [24], focused on different regions of the connecting rods, leading to non-generalizable conclusions. Others, still, such as Merritt et al. [25], studied connecting rod big ends and adopted a simplified approach limited by computational resources available at the time, resulting in outcomes that could be further enhanced.

In the present contribution, a numerical methodology is explained for calculating the Ruiz parameter on the contact surface between the connecting rod big end and the bearing for a high-performance internal combustion engine.

The paper is organized as follows. Firstly, a brief description of the components considered in the FEM analysis is provided. Subsequently, the assembly procedure and its numerical simulation are described. The FEM calculation setup is then explained, focusing on evaluating the specific wear work between the connecting rod big end and the bearing and, consequently, the Ruiz parameter. Initially, a thorough simulation of the entire engine cycle is performed. However, it is found that it is possible to choose and simulate only selected significative instants (ten in this case) without sacrificing result accuracy while significantly reducing computation time and file size. Once a simplified procedure for evaluating the Ruiz parameter is obtained, the influence of several parameters on the fretting fatigue damage of the connecting rod bearing is studied. Specifically, three different values of the circumferential crush of the bearing, two different tightening torques of the bolts, and four different coefficients of friction are investigated. Finally, some conclusions end the paper.

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2. Materials and Methods

2.1. The Assembly Considered in the Analysis

Figure 1a depicts the model of the assembly considered in the analysis, and Figure 1b details the reference system adopted for all the analyses performed using the shell angle θ and the angular speed ω . The dismountable connecting rod, the two tightening bolts, and the big end bearing can be seen. In particular, the connecting rod is made of titanium, the bolts are made of steel, and the bearing is made of steel with a thin coating on the inner surface (see Table 1 for the main mechanical and physical properties of the materials) [26]. Figure 2 shows and defines the bearing crush, i.e., the circumferential (small) over-extent of each half-bearing, which represents an important geometric characteristic of the bearing is compressed and press-fitted into the big end of the connecting rod. Crush values affect the fretting fatigue behavior of the big end. In fact, it directly influences the contact pressure at the interface and, consequently, the possibility of sliding and the relative displacement between the surfaces, which are the main parameters for the determination of the wear work generated at the interface.



Figure 1. The discretized components involved in the analyses: (**a**) complete assembly and section view; (**b**) reference system.

Component/Material	Mechanical/Physical Property	Value
Connecting rod/titanium	Density	4.51 g/cm ³
	Young's modulus	110 GPa
	Poisson's ratio	0.3
	Thermal expansion	9.10^{-6}
Bolts/steel	Density	7.8 g/cm ³
	Young's modulus	207 GPa
	Poisson's ratio	0.3
	Thermal expansion	$1.1 \cdot 10^{-5}$
Bearing/steel	Density	7.8 g/cm ³
	Young's modulus	210 GPa
	Poisson's ratio	0.3
	Thermal expansion	$1.1 \cdot 10^{-5}$

Table 1. Mechanical and physical properties of the materials involved in the analysis.



Figure 2. The definition of the crush for a generic big end bearing.

2.2. The Assembly Procedure

The assembly procedure of a dismountable connecting rod for a four-stroke internal combustion engine follows several well-defined steps. It is vital to replicate this procedure in the FEM analyses to obtain reliable results.

At the beginning of the procedure, the rod shank and cap are connected by tightening the two bolts. This initial step deforms the big end, causing it to lose its perfectly cylindrical shape. However, the bearing should be mounted on a perfectly cylindrical surface to function optimally. For this reason, the inner surface of the tightened connecting rod is machined to restore the perfect cylindrical shape of the big end. Finally, when it is mounted on the crank pin of the crankshaft, the conrod is disassembled, the bearing is inserted, and it is usually re-tightened with the same preload as before.

Upon reexamining this standard procedure, two noticeable aspects can be discussed. Firstly, the tightening force applied to the bolts deforms the rod differently depending on whether the bearing is installed or not. To achieve the perfect cylindrical shape of the big end even after the bearing is inserted, the preload of the bolts should be appropriately increased. Secondly, when different materials are used for the manufacturing of the conrod and bolts, i.e., titanium for the conrod and steel for the bolts, such as in this case, considering the two different thermal expansion coefficients of the two materials and the operating temperature of the big end typically around 120 $^{\circ}$ C, the bolt preload should be modified with respect to the assembly stage.

These aspects are analyzed in the following to evaluate the possible variation of the Ruiz parameter. Specifically, the effect of two bolt preloads is studied when the bearing is inserted: the standard value and an increased value estimated to compensate for the thermal effects.

2.3. The Finite Element Model

The FEM model consisted of about 1,807,000 elements. The commercial software Altair Hypermesh 2022.2 was used for the discretization process, while the commercial software MSC Marc/Mentat 2023.1 was adopted for the nonlinear implicit finite element simulations presented in this dissertation [27]. Different approaches were employed for component discretization. In particular, for the bearing, bolts, and pins, a regular hexahedral mesh (eight nodes, isoparametric, eight integration points) was easily generated for revolution or extrusion. Concerning the connecting rod, a specific discretization technique was employed that consisted of generating a regular boundary layer on the external surfaces of the component using pentahedrons (six nodes, isoparametric, six integration points), while the interior of the body was discretized employing tetrahedrons (four nodes, isoparametric, one integration point) (see Figure 3) [28]. This strategy enabled the model to better grasp stresses and displacements along the contact regions, thanks to the high number of integration points these elements offer compared to standard tetrahedrons and the regular thickness of the boundary layer [29,30]. The average element size was 0.75 mm, and it was homogeneous along the surface of the domain, while a coarsening factor was used for the discretization of the inner volume of the conrod.



Figure 3. Detail of the contact bodies and the mesh adopted for the FE simulations.

Table 2 provides an explanation of the contact interactions considered for each of the contact bodies depicted in Figure 3. Particularly, an initial friction coefficient of 0.1 was adopted at the interface between conrod and bearing, based on relevant literature [1], and a sensitivity analysis of the results was then conducted by varying this parameter.

The assembly procedure described in Section 2.2 was faithfully replicated, and then thermal and mechanical loads were superposed. The main steps of the analysis are listed in the following:

- 1. The connecting rod shank and cap are tightened with the assembly preload;
- 2. With the preload still active, the nodes of the big end are projected onto a perfectly cylindrical surface with a specific stress-free procedure;
- 3. The big end bearing is inserted into the big end, and the bolt preload is eventually adjusted to a different value with respect to the assembly phase;
- 4. A homogeneous and constant thermal field of 120 °C is applied to all nodes of the domain, which promotes a different thermal expansion of the components manufactured with different materials and consequently modifies the stress state;
- 5. The elasto-hydrodynamic pressure distribution, calculated in advance and whose profile varies as a function of the crank angle (CA; see Figure 4), is applied to the inner surfaces of the bearing through a three-dimensional mapping tool. In par-

ticular, the whole engine cycle is first simulated considering 144 sampling instants (one every 5° CA), and simplified analyses are subsequently performed once the most representative instants are identified.

Table 2. Parameters employed for the contact modeling.

Contact Bodies	Contact Interaction	Friction Coefficient
Conrod shank-conrod cap	Nonlinear unilateral contact	0.3
Conrod shank-dowel pin	Glued contact	0.3
Conrod shank-bearing	Nonlinear unilateral contact	0.1–0.6
Conrod shank-bolts (thread)	Nonlinear unilateral contact	0.3
Conrod cap-bolts (head)	Nonlinear unilateral contact	0.3
Conrod cap-bearing	Nonlinear unilateral contact	0.1–0.6
Conrod cap-dowel pin	Nonlinear unilateral contact	0.3
Shank half-bearing–cap half-bearing	Nonlinear unilateral contact	0.3



Figure 4. The elasto-hydrodynamic pressure distribution: (a) 0° CA; (b) 180° CA; (c) 360° CA; (d) 540° CA.

As an alternative to using the elasto-hydrodynamic pressure distribution derived from a multibody analysis of the crank mechanism, the crankpin could be included in the simulation, thus managing the direct contact between the pin and the bearing in the FEM model and consequently neglecting the hydrodynamic aspects [31]. However, since, in this case, it was essential to accurately grasp the pressure distribution between the bearing and the big end, which strongly depends on the interaction between the bearing and the crank pin, it was decided to use the result of the elasto-hydrodynamic model as input. To understand the effects of this choice, consider the results of Figure 5. In particular, Figure 5a shows the distribution of the contact pressure between the crank pin and the bearing when the crank mechanism is close to top dead center during combustion (4° CA) as calculated directly from a FEM model, which manages the direct interaction between the bearing and the pin; on the other hand, Figure 5b shows, for the same instant, the total pressure at the bearing-pin interface when the elasto-hydrodynamic effects are considered. It can be observed that, in this second case, not only is the pressure distribution different because of the influence of hydrodynamic phenomena, but moreover, two diametrically opposed pressure peaks are evident, favored by the lemon-shaped profile of the inner surface of the bearing [32–34]; the second peak is absent in Figure 5a where the hydrodynamic effects are neglected.



Figure 5. Pressure distribution at the crank pin–big end bearing interface close to top dead center during combustion (4° CA): (a) direct contact pressure distribution of a FEM model; (b) elasto-hydrodynamic pressure distribution.

In addition to the hydrodynamic pressure on the inner surface of the bearing, other boundary conditions were also considered. The schematics of Figure 6a,b are used for reference. A force along the cylinder axis was applied to the connecting rod small end to account for the effect of gases and unmodeled alternating masses (see Figure 7); the same node was also constrained to move only along the cylinder axis to mimic the piston–liner interaction. A distributed acceleration was then applied to all the elements of the model, which varied linearly along the conrod from the small end to the big end. Two components were considered, one along the conrod axis, as shown in Figure 8a, and one orthogonal to the conrod axis, as shown in Figure 8b.



Figure 6. Reference system adopted for the boundary conditions: (**a**) load on the connecting rod; (**b**) accelerations at the small end and at the big end of the connecting rod.



Figure 7. Load acting on the connecting rod small end.



Figure 8. Acceleration applied on the connecting rod: (**a**) component aligned with the connecting rod axis; (**b**) component orthogonal to the connecting rod axis.

A ground-to-spring support was finally employed to counteract small and negligible unbalances inherent in the FEM model. All simulations were performed considering the maximum revving speed of the engine equal to 12,500 rpm.

The Results of the Finite Element Analysis of the Whole Engine Cycle

First, a simulation of the whole engine cycle was performed considering the specific parameters of Table 3.

Parameter	Value
Revving speed	12,500 rpm
Friction coefficient	0.1
Bearing crush	0.1 mm
Tightening preload	40,000 N

Table 3. Parameters employed for the simulation of the whole engine cycle.

Since the analysis of the whole engine cycle was computationally expensive, an effort was made to derive a criterion to limit the number of instants to simulate based on the results obtained. Specifically, referring to the Ruiz parameter, the focus was on the correct wear work estimation. In fact, the stress state varies from instant to instant, but it is marginally influenced by the conditions we have at the previous and subsequent steps, and it takes really little effort to identify the instants corresponding to the maximum stress amplitude [1]; therefore, it did not seem to be a determining factor that could help identify the most significant instants from a fretting-damage point of view. On the other hand, wear work is a quantity that increases over time, and focusing on the instants with higher wear-work-increasing gradients could guide the selection of the most important instants to simulate.

Figure 9 shows the cumulative specific wear work on the internal surface of the big end evaluated by simulating the whole engine cycle. Please refer to Figure 1b for the reference system adopted. The maximum values are localized in the area where the shank joins the big end; see points A and B in Figure 9. Please note that local high values of the wear work registered at the contact between the big end and the cap (see point C of Figure 9) were fictitiously promoted by the contact pressure generated at those nodes by the bolt tightening, and they have to be neglected while considering fretting phenomena at the bearing–big end interface.



Figure 9. Cumulative specific wear work on the inner surface of the big end for the simulated whole engine cycle.

Figure 10 illustrates the cumulative wear work as a function of crank angle for the two selected points A and B. Regions with high gradients of cumulative wear work can be noticed close to 360° CA and 720° CA. In order to identify the reasons driving these local sudden increases in wear work, it is necessary to analyze the profile as a function of the crank angle of the main parameters involved, i.e., the cumulative displacement and the contact pressure at the interface (see Figure 11). Strong parallelism can be seen between the wear work profile of Figure 10 and the cumulative relative displacement profiles of Figure 11a, thus suggesting that relative displacement is the guiding parameter.



Figure 10. Cumulative wear work as a function of crank angle for the two selected points A and B on the inner surface of the big end for the simulated whole engine cycle.



Figure 11. Main parameters for wear work evaluation as a function of crank angle for the two selected points A and B for the simulated whole engine cycle: (**a**) cumulative relative displacement; (**b**) contact pressure.

To understand the origin of the high relative displacements concentrated in the vicinity of 360° CA and 720° CA, reference can be made to the profile of the axial force acting on the conrod big end; see Figure 12. At top dead center during overlapping (360° CA), the connecting rod is being pulled by the tensile inertial loads, and the connecting rod cap wraps the crank pin [19]. The load path passes from the shank to the big end, where it goes into the bolts and then down to the cap, finally entering the crank pin via the lower half-bearing. At the same time, the upper half-bearing rod big end upper sides elongate, not the upper half-bearing, resulting in high relative displacements in this region. Close to top dead center during combustion (0° CA), this phenomenon still appears albeit limited; in fact, when combustion occurs, combustion loads win tensile inertial loads. When looking at bottom dead center (180° CA, 540° CA), the relative sliding between the bearing and the big end is considerably reduced compared to the previous scenario. In fact, both the connecting rod big end and the upper half-bearing are tightly pressed against the crankpin, while the

connecting rod cap is nearly completely unloaded, together with the lower half-bearing.



Figure 12. Axial force acting on the connecting rod big end.

2.4. The Simplified Finite Element Model

Figure 11a shows ten instants that were deemed particularly significant in describing the entire engine cycle. The selection was guided by the need to consider the initial condition (point 1) and the regions with steep "S-shaped" gradients of the cumulated wear work (points 2, 3, 4, 5, 6, 7, 8, 9, and 10). Points 5 and 9 are also crucial since they correspond to instants at which maximum circumferential stresses are registered along the conrod big end inner border.

Only engineering experience could guide the authors in selecting these points. Therefore, to have proof of the effectiveness of this selection, the same analysis performed before had to be conducted considering only these ten increments, and then results could be compared with the one previously discussed.

The Results of the Simplified Finite Element Model

Figure 13a,b compare the incremental displacement recorded at points A and B in the simplified case (solid line) and the complete case (dashed line). A good agreement between the graphs can be observed. In addition, the same trend is obtained for the incremental wear work, as shown in Figure 14a,b. Figure 15 displays the cumulated wear work at the end of the engine cycle, and it looks very similar to the one in Figure 9. Therefore, the results demonstrate the possibility of simulating only ten appropriately selected increments to achieve accurate calculations while reducing computational effort. The subsequent discussion and sensitive analysis of the main parameters governing the problem exclusively employs this simplified approach.



Figure 13. Comparison of the cumulative displacements between the complete and simplified cases: (a) point A; (b) point B.



Figure 14. Comparison of the cumulative wear work between the complete and simplified cases: (a) point A; (b) point B.



Figure 15. Cumulative specific wear work on the inner surface of the big end for the simplified case.

3. Results and Discussion

The computationally simplified methodology presented in the previous section is employed to investigate the impact of various assembly parameters on fretting fatigue damage, as quantified by the Ruiz parameter.

3.1. The Influence of the Bearing Crush Value on the Fretting Behavior

The bearing crush is the first assembly parameter to be evaluated. Three crush values are compared: the baseline case, a 20% reduced crush, and a 20% increased crush. Figure 16b illustrates the variation of the Ruiz parameter on the surface of the connecting rod big end

in the baseline case, while Figure 16a,c display the Ruiz parameter values for the reduced crush and increased crush cases, respectively. It is evident that increasing the crush led to a higher intensity of fretting fatigue. Specifically, following a 20% increase in crush height, a corresponding 10% rise in the Ruiz parameter is observed. Conversely, reducing the crush height by 20% led to an approximately 8% decrease in the Ruiz parameter. However, it is useful to discuss the contributions associated with circumferential alternating stress and wear work individually.



Figure 16. Ruiz parameter: (a) 20% reduced crush; (b) baseline crush; (c) 20% increased crush.

Figure 17a–c depict the stress values for the reduced crush, baseline, and increased crush configurations, respectively. Stresses are marginally affected by the specific crush value adopted, at least in the range under investigation.

Figure 18a–c present the cumulative specific wear work values for the reduced crush, baseline, and increased crush configurations, respectively. It can be noted that wear work increases with an increase in crush. This result can easily be justified if one considers that as the bearing crush increases, the press-fitting pressure at the bearing–big end interface also increases. At the same time, higher press-fitting pressures can lead to lower relative displacements, possibly compensating for the effect of the pressure increase in the wear work evaluation; see Equation (2). In this case, however, a marginal influence of the bearing crush on the cumulative relative displacement is observed (see Figure 19), and the effect of increasing press-fitting pressure wins out in driving the increase in cumulative wear work (see Figure 20).



Figure 17. Circumferential stress amplitude: (a) 20% reduced crush; (b) baseline crush; (c) 20% increased crush.



Figure 18. Cont.



Figure 18. Cumulative wear work: (a) 20% reduced crush; (b) baseline crush; (c) 20% increased crush.



Figure 19. Comparison of the cumulative relative displacements for the different crush values: (a) point A; (b) point B.



Figure 20. Comparison of the cumulative wear works for the different crush values: (**a**) point A; (**b**) point B.

3.2. The Influence of the Bolt Tightening on the Fretting Behavior

Bolt tightening is the second parameter to be investigated. The baseline case is compared with a case in which bolt tightening is increased in such a way that in operating, considering the different thermal expansions of the titanium conrod and of the steel bolts, the bolt tightening corresponds to the nominal one used during the machining phase. The use of this particular procedure ensures that the lemon shape profile of the bearing in hot operating conditions is as close as possible to the nominal one without being affected by a relaxation promoted by the different expansions of the connecting rod and bolts. However, it should be emphasized that, at least for the operating condition, a desired profile of the bearing can always be obtained by suitably defining its cold profile and the adopted bolt tightening. Therefore, in this case, the hydrodynamic pressure obtained by the same elasto-hydrodynamic analysis performed with the bearing profile extracted, considering the nominal bolt tightening (see Figure 4), is used to load the two models.

Figure 21a,b show the value of the Ruiz parameter in these two configurations. It can be seen that barring small differences, the increase in bolt tightening does not cause significant variations in the Ruiz parameter, and only a 1% increase is registered.



Figure 21. Ruiz parameter: (a) baseline bolt tightening; (b) 30% increased bolt tightening.

This point opens up a possible future discussion on the influence of the bolt tightening and of the specific bearing lemon shape on the hydrodynamic behavior of the bearing rather than on the fretting behavior of the conrod. In fact, having a marginal influence on the fretting parameters, the bolt tightening can be used as a tuning parameter of the assembly procedure of the conrod in order to identify the best combination between bearing cold profile, bolt tightening during machining, and bolt tightening during assembly, which guarantees the best hydrodynamic behavior of the bearing–pin coupling in both cold and hot operating conditions.

3.3. The Influence of the Friction Coefficient on the Fretting Behavior

The friction coefficient between the connecting rod big end and the bearing is the final parameter to be investigated. For the baseline case, a coefficient of 0.1 is initially set, and then values of 0.2, 0.3, 0.4, and 0.6 are tested. Figure 22 clearly demonstrates that as the friction coefficient increases, the Ruiz parameter also increases, indicating a potentially higher level of fretting fatigue.

Examining Figures 23 and 24, it is evident that the effect of friction directly impacts the wear work, while there are no significant variations in the stress distribution.



Figure 22. Ruiz parameter: (a) 0.1 friction coefficient; (b) 0.4 friction coefficient; (c) 0.6 friction coefficient.



Figure 23. Cont.



Figure 23. Cumulative wear work: (**a**) 0.1 friction coefficient; (**b**) 0.4 friction coefficient; (**c**) 0.6 friction coefficient.



Figure 24. Circumferential stress amplitude: (**a**) 0.1 friction coefficient; (**b**) 0.4 friction coefficient; (**c**) 0.6 friction coefficient.

The monotonous increase in wear work with increasing friction coefficient is not a foregone conclusion in contact problems. In fact, on the one hand, the increase in friction linearly enters the formula for the definition of wear work (see Equation (2)), but on the other hand, higher friction can lead to lower relative displacements, thus partially compensating the effect of increased friction. In fact, if two opposite asymptotic configurations are examined, the following considerations can be derived: (a) when the friction coefficient is zero, the wear work is obviously zero; (b) when the friction coefficient is high enough to prevent any relative sliding of the elements in contact, the wear work is again zero. For intermediate values of the friction coefficient, the wear work has a value other than zero. It is plausible to hypothesize, therefore, that the wear work follows an increasing and then decreasing trend as a function of the friction coefficient. From this last conclusion, it can be stated that the dependence of the wear work on the friction coefficient is substantially unknown, and it is not possible to establish a universally valid relationship, but it depends on the range of considered friction coefficients, the operating conditions, the materials, and the deformability of the specific analyzed system configuration.

For the specific application addressed in this paper, looking at the trends of the cumulative wear work at points A and B as a function of the friction coefficient in Figure 25, a practically linear relationship can be observed. From an operational point of view, this represents a very useful result since it allows us to perform the calculations for only one value of the friction coefficient, say $\mu = 0.3$, and then scale them according to the desired friction value, at least in the range of investigation, $\mu = 0.1$ –0.6.



Figure 25. Cumulative wear work as a function of the friction coefficient for the two selected points A and B on the inner surface of the big end.

Furthermore, on the basis of this result, a further improvement in the reliability of the numerical predictions can be included in the procedure described in this work. In fact, a calculation can be initially performed considering a standard uniform initial value of the friction coefficient at the bearing–connecting rod interface, and then results can be processed by locally updating cycle by cycle the value of the friction coefficient as a function of the local value of the accumulated wear work, considering that the specific wear work distribution actually alters the surface finishing of the parts in contact in an uneven way. In this way, the Ruitz parameter can incorporate this non-linearity fueled by a possible dependence between the local wear work and the local friction coefficient. However, in order to define this relationship, it is necessary to carry out a dedicated experimental campaign, which can represent a further future development of this work.

4. Conclusions

This study was aimed at investigating the impact of assembly parameters on fretting fatigue in the contact between the big end and the bearing of a dismountable connecting rod in an internal combustion engine. In particular, some conclusions can be summarized as follows:

- The primary physical variables involved in the fretting fatigue phenomenon were examined, and the minimum number of time points to simulate were selected, ensuring that the result accuracy was maintained while avoiding excessively lengthy simulations. This allowed the proposed procedure to be used as a guideline to identify limited and selected instants important for the analysis of fretting phenomena in generic complex assemblies subjected to generic complex periodic loads.
- Once the validity of the simplified approach was established, comparisons were made by varying the bearing crush, bolt tightening, and friction coefficient between the big end and the bearing.

- It was observed that an increased bearing crush leads to an increase in the fretting damage, mainly promoted by the increased press-fitting contact pressure.
- Adjusting the tightening torque, with the aim of possibly restoring a more cylindrical surface of the conrod big end in operating condition, was found to marginally affect the fretting parameters, thus opening future discussions on the effect of bolt tightening on the elasto-hydrodynamic phenomena.
- As for the friction coefficient, it was evident that as the friction coefficient increases, fretting damage parameters increase. Interestingly, a linear relationship was observed between cumulative specific wear work and friction coefficient. Based on these findings, a potential avenue for future development emerges. In particular, the calculation methodology presented can be enhanced by incorporating a variable friction coefficient that increases with the number of engine cycles, considering that as the wear process progresses, the contact surfaces become progressively rougher, resulting in a higher local coefficient of friction and in an intensified wear mechanism over time. This addition will further improve the accuracy of the results from a quantitative perspective, although establishing a direct correlation between the friction coefficient, wear work, and the number of engine cycles remains challenging, and dedicated experimental campaigns are necessary.

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